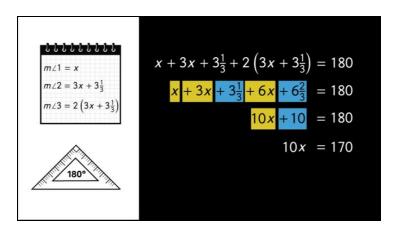
Worksheets to print out from sofatutor.com

Writing and Solving Linear Equations



(1) Find solutions to geometric problems.

2 Solve the linear equation using the sum of interior angles of a triangle theorem.

3 Solve the equation using knowledge of linear equations and geometric properties.

4 Sort the steps needed to solve one variable linear equations in geometry.

Solve the word problems using linear equations and geometric properties.

6 Decide which statements are true.

with many hints, answer keys, and solution approaches for all tasks

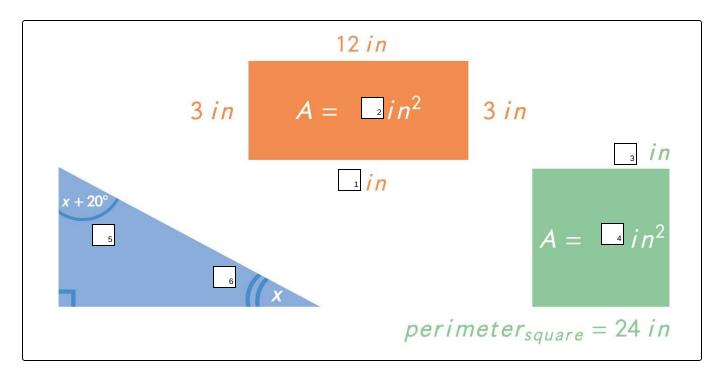


The complete package, **including all tasks**, **hints**, **solutions**, **and solution approaches**, is available to all subscribers of sofatutor.com



Find solutions to geometric problems.

Fill in the blanks.

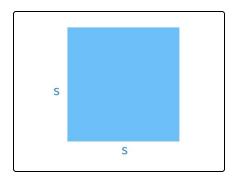


Our hints for the tasks



Find solutions to geometric problems.

1. Hint

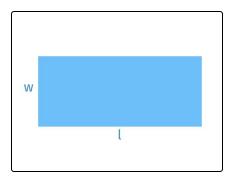


The perimeter of a square is given by $\,4s\,$ and the area is given by $\,s^2\,$.

2. Hint

The sum of all interior angles of any triangle is 180 degrees. So, if one angle is a right angle, then the sum of the two other angles is 90° .

3. Hint



In a rectangle we can consider parallel lines of equal length.

The area is given by A=lw

Solutions and solution approaches for the tasks



Find solutions to geometric problems.

Answer key: 1: 12 // 2: 36 // 3: 6 // 4: 36 // 5*: 55° // 6*: 35°

*also correct: 5: 55 // 6: 35

Rectangle:

- ullet Three sides are given. The desired one has the same length as the corresponding parallel side. So it's $12\ in$.
- The area can be calculated by multiplying the side lengths: $A = (3 \ in)(12 \ in) = 36 \ in^2$.

Square:

- ullet All sides have the same length, it's s.
- The perimeter is given by the formula $24\ in = 4s$. Dividing by 4 gives us the side length $= 6\ in$.
- Squaring the side length leads to the area $A = (6 \ in)^2 = 36 \ in^2$.

Triangle:

- \bullet The represented triangle has a right angle. Thus the sum of the other two angles is 90° .
- This leads to the equation x + x + 20 = 90.
- Combining like terms and subtracting 20 results in 2x = 70.
- ullet Last we divide by 2 to get $x=35^\circ$.
- The other angle is given by $x+20^{\circ}=55^{\circ}$.

